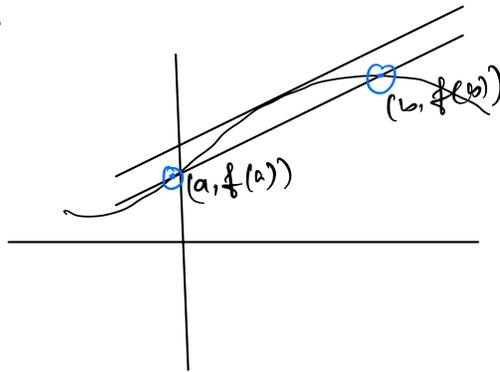


A preview of Calculus:

Calculus is the math to measure changes, like:

- Velocities / Accelerations
- Areas / Volumes \rightsquigarrow integration
- Tangent lines \rightsquigarrow derivation
- Slopes
- Arc lengths.

Tangent-Line problem:



First: What is Secant?

A linear function passing through two given pts, say $(a, f(a))$ & $(b, f(b))$

$$\text{Slope of Secant: } m_{\text{sec}} = \frac{f(b) - f(a)}{b - a} \quad \text{at } x=b$$

$$m_{\text{sec}} = \frac{f(x) - f(a)}{x - a}$$

Make b move towards a , then secant becomes tangent.

Average Velocity: $s(t)$: position of an object along axis t .

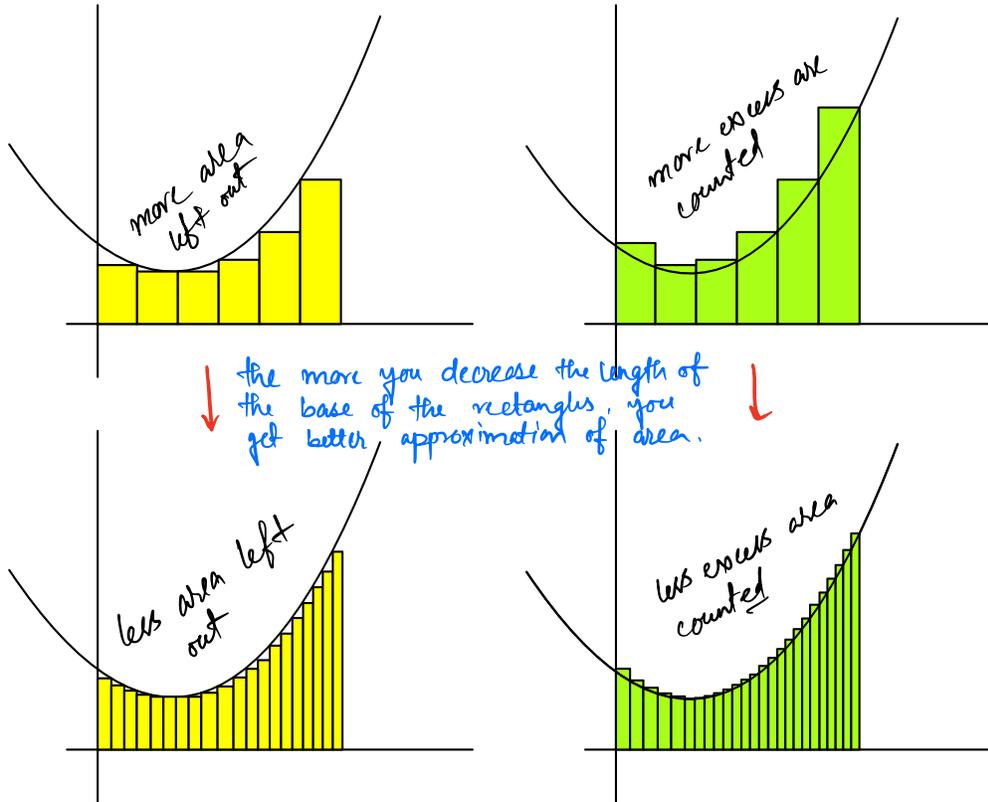
$$v_{\text{avg}} = \frac{s(t) - s(a)}{t - a}$$

Eq. $s(t) = -16t^2 + 64$, between $[0.49, 0.5]$

$$v_{\text{avg}} = \frac{s(0.5) - s(0.49)}{0.5 - 0.49} = -15.84$$

$$= \frac{\Delta s}{\Delta t}$$

Area



This is the main idea
behind getting the
area under
the
curve.